Advanced Computer Graphics

- 1. Flux Φ is radiant energy per time, i.e. $\Phi = \frac{dQ}{dt}$, which can roughly be interpreted as the number of photons per time.
 - \bigcirc true \bigcirc false
- 2. Irradiance E at a position \boldsymbol{x} is $E(\boldsymbol{x}) = \frac{\mathrm{d}\Phi(\boldsymbol{x})}{\mathrm{d}A(\boldsymbol{x})}$.
 - \bigcirc true \bigcirc false
- 3. Irradiance is a quantity that can be used to characterize the illumination of a surface.

 \bigcirc true \bigcirc false

- 4. Radiosity quantifies the overall flux that leaves a surface position into arbitrary directions.
 - \bigcirc true \bigcirc false
- 5. The incident radiance at a surface position \boldsymbol{x} with surface normal \boldsymbol{n} from a direction $\boldsymbol{\omega}$ is $L(\boldsymbol{x}, \boldsymbol{\omega}) = \frac{\mathrm{d}^2 \Phi}{\mathrm{d} A \cdot \cos \theta \cdot \mathrm{d} \omega}$, where $\mathrm{d} A$ is a differential surface area around \boldsymbol{x}, θ is the angle between \boldsymbol{n} and $\boldsymbol{\omega}$ and $\mathrm{d} \omega$ is a differential solid angle around direction $\boldsymbol{\omega}$. $\mathrm{d} \Phi$ is flux from direction $\boldsymbol{\omega}$.
 - \bigcirc true \bigcirc false
- 6. Radiance is a quantity that can be used to characterize flux that travels along a ray.
 - \bigcirc true \bigcirc false
- 7. The irradiance at an illuminated surface decreases quadratically with the distance from a light source.
 - \bigcirc true \bigcirc false
- 8. Radiance is preserved along a ray over arbitrary distances in a setting without participating media.
 - \bigcirc true \bigcirc false
- 9. A color value at a pixel in a sensor-generated image characterizes photons per time per projected sensor area per small solid angle.
 - \bigcirc true \bigcirc false
- 10. A sensor element generally receives flux from directions within a large solid angle.
 - \bigcirc true \bigcirc false
- 11. The distribution of wavelengths within the perceived radiance is referred to as spectral power distribution or spectrum. Spectra are weighted with absorption spectra of the eye and perceived as colors.
 - \bigcirc true \bigcirc false
- 12. The solid angle of a hemisphere is 2π .
 - \bigcirc true \bigcirc false

- 13. Surface reflection models characterize the interaction of light at surfaces. They quantify, how much incoming flux from a particular direction is absorbed or reflected into a particular direction.
 - \bigcirc true \bigcirc false
- 14. Specular surfaces reflect most flux into some dominant reflection directions.
 - \bigcirc true \bigcirc false
- 15. Diffuse surfaces reflect the same amount of flux into all directions.
 - \bigcirc true \bigcirc false
- 16. At diffuse surfaces, reflected flux is proportional to the cosine of the angle between flux direction and surface normal.
 - \bigcirc true \bigcirc false
- 17. At diffuse surfaces, incident radiance is independent from the direction.
 - \bigcirc true \bigcirc false

18. The reflectance equation can be written as $L_o(\boldsymbol{p}, \boldsymbol{\omega}_o) = \int_{2\pi} f_r(\boldsymbol{p}, \boldsymbol{\omega}_i, \boldsymbol{\omega}_o) L_i(\boldsymbol{p}, \boldsymbol{\omega}_i) d\omega_i$

- \bigcirc true \bigcirc false
- 19. The BRDF of a Lambertian surface is $f_{r,d}(\boldsymbol{\omega}_i, \boldsymbol{\omega}_o) = \frac{\rho}{\pi}$, where ρ is the reflectance of the surface.
 - \bigcirc true \bigcirc false
- 20. The integral of a function f over the hemisphere $\int_{2\pi} f(\boldsymbol{\omega}) d\boldsymbol{\omega}$ can be written in terms of two angles θ and ϕ as $\int_{0}^{2\pi} \int_{-\frac{\pi}{2}}^{\frac{\pi}{2}} f(\theta, \phi) \sin \theta d\theta d\phi$
 - \bigcirc true \bigcirc false
- 21. At a Lambertian surface, the exitant radiance $L_o(\mathbf{p})$ at a point \mathbf{p} is related to the radiosity $B(\mathbf{p})$ at \mathbf{p} with $L_o(\mathbf{p}) = \frac{B(\mathbf{p})}{\pi}$.
 - \bigcirc true \bigcirc false
- 22. $\int \delta(x) dx = 1$
 - \bigcirc true \bigcirc false
- 23. BRDF values are non-negative and not larger than one.
 - \bigcirc true \bigcirc false
- 24. A BRDF is energy conserving, if $\forall \boldsymbol{\omega}_i : \int_{2\pi} f_r(\boldsymbol{\omega}_i, \boldsymbol{\omega}_o) \cos \theta_o \mathrm{d} \boldsymbol{\omega}_o \leq 1$.
 - \bigcirc true \bigcirc false
- 25. The bihemispherical reflectance characterizes the ratio of all exitant flux to all incident flux at a surface point.
 - \bigcirc true \bigcirc false

26. The rendering equation can be written as

 $L(\boldsymbol{p} \to \boldsymbol{\omega}_o) = L_e(\boldsymbol{p} \to \boldsymbol{\omega}_o) + \int_{\Omega} f_r(\boldsymbol{p}, \boldsymbol{\omega}_i \leftrightarrow \boldsymbol{\omega}_o) \ L(\boldsymbol{p} \leftarrow \boldsymbol{\omega}_i) \ \cos(\boldsymbol{\omega}_i, \boldsymbol{n}_p) \ d\boldsymbol{\omega}_i$ $\bigcirc \text{ true } \bigcirc \text{ false}$

- 27. The raycasting operator at point p into direction ω returns the radiance from that direction onto point p.
 - \bigcirc true \bigcirc false
- 28. In the radiosity rendering concept, the image generation is basically a look-up of a pre-computed solution for the entire light transport in a scene.
 - \bigcirc true \bigcirc false
- 29. The original radiosity rendering concept is restricted to diffuse and specular surfaces. It does not handle mirror and transparent surfaces.
 - \bigcirc true \bigcirc false
- 30. In a scenario with n non-emissive faces and m emissive faces, the radiosity rendering approach computes n radiosity values.
 - \bigcirc true \bigcirc false
- 31. The radiosity rendering concept solves a linear system to compute radiance values.
 - \bigcirc true \bigcirc false
- 32. The form factor is a double integral over the areas of two faces.
 - \bigcirc true \bigcirc false
- 33. Form factors are non-negative.
 - \bigcirc true \bigcirc false
- 34. For two faces *i* and *j* with areas A_i and A_j , the reciprocity property for form factors states that $A_i F_{ij} = A_j F_{ji}$.
 - \bigcirc true \bigcirc false
- 35. If the linear system in a radiosity approach is stated as $(I F)B = B_e$, then the solution can be expressed as $B = B_e + FB_e + FFB_e + FFFB_e + \dots$, if the solution exists and if the series converges.
 - \bigcirc true \bigcirc false
- 36. The inverse of the matrix I F can be written as $(I F)^{-1} = \sum_{k=0}^{\infty} F^k B_e$, if the inverse exists and if the series converges.
 - \bigcirc true \bigcirc false
- 37. If the solution of a radiosity problem is computed as $B = B_e + FB_e + FFB_e + FFFB_e + FFFB_e + \dots$, then B_e represents emitted radiosity, FB_e represents emitted radiosity after one surface bounce and so on.
 - \bigcirc true \bigcirc false

38. In raytracing, our goal is to compute radiances by approximately solving the rendering equation, e.g. $L(\boldsymbol{p} \to \boldsymbol{\omega}_o) = L_e(\boldsymbol{p} \to \boldsymbol{\omega}_o) + \int_{\Omega} f_r(\boldsymbol{p}, \boldsymbol{\omega}_i \leftrightarrow \boldsymbol{\omega}_o) L(\boldsymbol{p} \leftarrow \boldsymbol{\omega}_i) \cos(\boldsymbol{\omega}_i, \boldsymbol{n}_p) d\omega_i$.

 $L(\boldsymbol{p} \to \boldsymbol{\omega}_o) = L_e(\boldsymbol{p} \to \boldsymbol{\omega}_o) + \int_{\Omega} J_r(\boldsymbol{p}, \boldsymbol{\omega}_i \leftrightarrow \boldsymbol{\omega}_o) L(\boldsymbol{p} \leftarrow \boldsymbol{\omega}_i) \cos \theta$ () true () false

- 39. Monte Carlo is a popular scheme to approximate the reflectance integral in the rendering equation as it naturally handles adaptive, non-uniform sample sets for multidimensional integrals.
 - \bigcirc true \bigcirc false
- 40. Monte Carlo is a popular scheme to approximate the reflectance integral in the rendering equation due to its exceptional high accuracy.
 - \bigcirc true \bigcirc false
- 41. Monte Carlo integration typically introduces noise to the solution.
 - \bigcirc true \bigcirc false
- 42. A 1D probability density function p(x) that is defined for an interval from a to b is non-negative and the integral $\int_a^b p(x) dx$ is one.
 - \bigcirc true \bigcirc false
- 43. A uniform PDF p(x) that is defined for an interval from a to b is one for all x with $a \le x \le b$.
 - \bigcirc true \bigcirc false
- 44. Using the Monte Carlo estimator, a 1D integral can be approximated with $\int_a^b f(x) dx \approx \sum_{i=1}^N \frac{f(X_i)}{p(X_i)}$ \bigcirc true \bigcirc false
- 45. In raytracing, importance sampling describes the concept of designing a PDF as close as possible to the integrand in the reflectance integral.
 - \bigcirc true \bigcirc false
- 46. In raytracing, stratified sampling describes the concept to subdivide the integration domain of the reflectance integral into strata.
 - \bigcirc true \bigcirc false
- 47. The inversion method starts with canonical random samples and transforms the samples with the inverse of the cumulative distribution function of the desired probability density function.

 \bigcirc true \bigcirc false

- 48. The rejection method does not require a CDF or the inverse of a CDF.
 - \bigcirc true \bigcirc false
- 49. The inverse and the rejection method discard some samples.
 - \bigcirc true \bigcirc false

50. The inverse function of $y = f(x) = \sin(x)$ is $x = g(y) = -\cos(y)$. \bigcirc true \bigcirc false