

Simulation in Computer Graphics

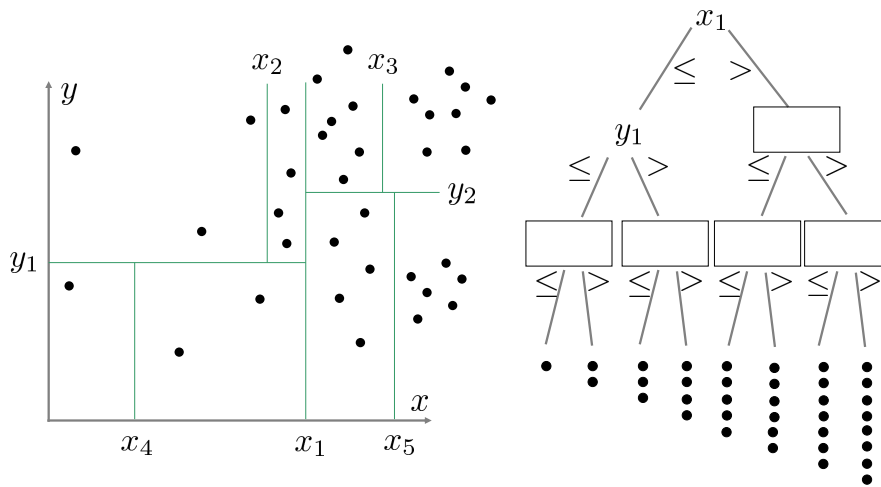
1. Positions and velocities of particles over time can be computed from the two governing equations $\mathbf{F} = \frac{d\mathbf{v}}{dt}$ and $\mathbf{v} = \frac{d\mathbf{x}}{dt}$.
 true false
2. $\mathbf{F} = m \frac{d^2\mathbf{x}}{dt^2}$ is a second-order ordinary differential equation.
 true false
3. Linear second-order ODEs can be rewritten as a system of two coupled linear ODEs of first order.
 true false
4. Newton's Second Law can be written as $\mathbf{F} = \frac{d}{dt}(m\mathbf{v})$.
 true false
5. Particle simulations are concerned with the computation of unknown future particle quantities \mathbf{x}^{t+h} and \mathbf{v}^{t+h} from known current information \mathbf{x}^t , \mathbf{v}^t and \mathbf{a}^t .
 true false
6. The explicit Euler scheme updates positions with $\mathbf{x}^{t+h} = \mathbf{x}^t + h\mathbf{v}^t$ and velocities with $\mathbf{v}^{t+h} = \mathbf{v}^t + \frac{m}{h}\mathbf{a}^t$.
 true false
7. If a particle i at time t has position $\mathbf{x}_i^t = \begin{pmatrix} 0 \\ 0 \end{pmatrix}$, velocity $\mathbf{v}_i^t = \begin{pmatrix} 1 \\ 2 \end{pmatrix}$, acceleration $\mathbf{a}_i^t = \begin{pmatrix} 2 \\ 3 \end{pmatrix}$, then the Euler-Cromer scheme computes the position $\mathbf{x}_i^{t+h} = \begin{pmatrix} 10 \\ 16 \end{pmatrix}$, velocity $\mathbf{v}_i^{t+h} = \begin{pmatrix} 5 \\ 8 \end{pmatrix}$ for a timestep of $h = 2$.
 true false
8. The position update $\mathbf{x}^{t+h} = \mathbf{x}^t + h\mathbf{v}^t$ would be perfectly accurate, if the velocity is constant between t and $t + h$ and equal to \mathbf{v}^t .
 true false
9. A numerical integration scheme is stable, if previously introduced discretization errors do not grow within a simulation step.
 true false
10. In particle simulations, the computation time of an explicit numerical integration scheme is dominated by the computation of particle accelerations.
 true false
11. Implicit integration schemes often require to solve a linear system.
 true false

12. Implicit integration schemes often require to solve a linear system.
 true false
13. Implicit Euler is typically more stable and more accurate than explicit Euler.
 true false
 The error order of the implicit Euler scheme is larger than the error order of the explicit Euler scheme.
 true false
14. The Euler-Cromer scheme combines an explicit Euler update for the velocity with an implicit Euler update for the position.
 true false
15. $\mathbf{x}^{t+h} = \mathbf{x}^t + h\mathbf{v}^t + \frac{h^2}{2}\mathbf{a}^t + \frac{h^3}{4}\frac{d^3\mathbf{x}^t}{dt^3} + O(h^4)$ is a Taylor approximation of \mathbf{x}^{t+h} .
 true false
16. The Verlet integration scheme updates a particle position with $\mathbf{x}^{t+h} = 2\mathbf{x}^t - \mathbf{x}^{t-h} + h^2\mathbf{a}^t$.
 true false
17. When I add the two equations $\mathbf{x}^{t+h} = \mathbf{x}^t + h\mathbf{v}^t + \frac{h^2}{2}\mathbf{a}^t + \frac{h^3}{6}\frac{d^3\mathbf{x}^t}{dt^3}$ and $\mathbf{x}^{t-h} = \mathbf{x}^t - h\mathbf{v}^t + \frac{h^2}{2}\mathbf{a}^t - \frac{h^3}{6}\frac{d^3\mathbf{x}^t}{dt^3}$ and solve the resulting equation for \mathbf{x}^{t+h} , then I get the Verlet update for the position.
 true false
18. The Verlet integration scheme does not necessarily require the particle velocity to update the particle position.
 true false
19. The error order of the Verlet integration scheme is larger than the error order of the explicit Euler scheme.
 true false
20. If the strain of an element i with size V_i is defined as $C_i(\mathbf{x}_{i,1}, \mathbf{x}_{i,2}) = \frac{1}{L_i}(|\mathbf{x}_{i,1} - \mathbf{x}_{i,2}| - L_i)$ and if the respective stress is defined as $S_i(\mathbf{x}_{i,1}, \mathbf{x}_{i,2}) = k_i C_i(\mathbf{x}_{i,1}, \mathbf{x}_{i,2})$, then the elastic energy of the element is: $E_i(\mathbf{x}_{i,1}, \mathbf{x}_{i,2}) = \frac{1}{2} k_i \left(\frac{1}{L_i}(|\mathbf{x}_{i,1} - \mathbf{x}_{i,2}| - L_i) \right)^2 V_i$.
 true false
21. If the strain of an element i is $C_i(\mathbf{x}_{i,1}, \dots, \mathbf{x}_{i,n})$ and the stress is $S_i(\mathbf{x}_{i,1}, \dots, \mathbf{x}_{i,n}) = k_i C_i(\mathbf{x}_{i,1}, \dots, \mathbf{x}_{i,n})$, then the respective elastic forces are computed with $\mathbf{F}_{i,j}(\mathbf{x}_{i,1}, \dots, \mathbf{x}_{i,n}) = k_i V_i C_i(\mathbf{x}_{i,1}, \dots, \mathbf{x}_{i,n}) \frac{\partial}{\partial \mathbf{x}_{i,j}} C_i(\mathbf{x}_{i,1}, \dots, \mathbf{x}_{i,n})$.
 true false
22. Elastic forces do not change the linear and the angular momentum of an element.
 true false

23. In a particle fluid, the viscosity acceleration accelerates particles towards the average velocity of adjacent fluid particles.
 true false
24. In a particle fluid, the pressure acceleration $\frac{1}{\rho}\nabla p$ accelerates particles from regions with higher pressure towards regions with lower pressure.
 true false
25. The density at a fluid particle can be computed with SPH as $\rho_i = \sum_j \rho_j W_{ij}$.
 true false
26. The Lagrange form of the Navier-Stokes equation governs the time rate of change of the velocity of a particle: $\frac{d\mathbf{v}_i}{dt} = -\frac{1}{\rho_i}\nabla p_i + \nu\nabla^2\mathbf{v}_i + \frac{\mathbf{F}_i^{\text{other}}}{m_i}$.
 true false
27. The gradient of a quantity A_i at a particle i can be approximated SPH using $\nabla A_i = \sum_j \frac{m_j}{\rho_j} A_j \nabla W_{ij}$.
 true false
28. A popular way to approximate the pressure acceleration with SPH is $-\frac{1}{\rho_i}\nabla p_i = -\sum_j m_j \left(\frac{\rho_i}{\rho_j^2} + \frac{\rho_j}{\rho_i^2}\right) \nabla W_{ij}$, as this formulation results in forces that preserve the linear and the angular momentum of the particle fluid.
 true false
29. The equation $p_i = \max\left(k\left(\frac{\rho_i}{\rho_0} - 1\right), 0\right)$ is a state equation that allows to compute pressure from a density deviation.
 true false
30. If the density of a particle is smaller than its rest density, then the pressure of that particle is typically set to zero.
 true false
31. An SPH fluid solver performs the following steps in each simulation step: 1. Neighbor search. 2. Density computation. 3. Pressure computation 4. Computation of all accelerations. 5. Position and velocity update of all particles.
 true false
32. In case of a perfect particle sampling, the sum of the SPH kernel values is equal to the size of a particle: $\sum_j W_{ij} = V_i$.
 true false
33. In case of a perfect particle sampling, the sum of the SPH kernel gradient values is zero: $\sum_j \nabla W_{ij} = \mathbf{0}$.
 true false

34. In a rigid-body simulation, one position and one orientation are computed per body over time.
 true false
35. If \mathbf{A} is the orientation of a rigid body and $\boldsymbol{\omega}$ is the angular velocity of the rigid body, then the time rate of change of the orientation is: $\frac{d\mathbf{A}}{dt} = \mathbf{A}\boldsymbol{\omega}$.
 true false
36. The angular momentum of a rigid body is the product of its inertia tensor with its angular velocity.
 true false
37. Torque is the time rate of change of the linear momentum.
 true false
38. If two bounding volumes of two different objects overlap, then the enclosed objects interfere.
 true false
39. If two bounding volumes of two different objects do not overlap, then the enclosed objects do not interfere.
 true false
40. Axis-aligned bounding boxes can be rotated along with an object.
 true false
41. Axis-aligned boxes are a special case of k-DOPs.
 true false
42. OBBs can be rotated along with an object.
 true false
43. The performance of a uniform grid depends on the ratio between the object primitives or elements and the cell size. For an optimal efficiency, the primitives or elements should approximately correspond to the cell size.
 true false

44. Enter the missing entries into the k-d tree.



45. Enter the missing entries into the BSP tree.

